

TEST_001
 TEST_002
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GLOBAL (DEF-01) 174/02455
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How AI Works

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 December 3, 2021

ZI Dashboard

F1
 F2

10
 25

F1: Lückenanalyse über den Wert...
 F2: Lückenanalyse über den Wert...



Si Zn Mo Co Fe Ar
 Re Po At Bi Mn Br

Local

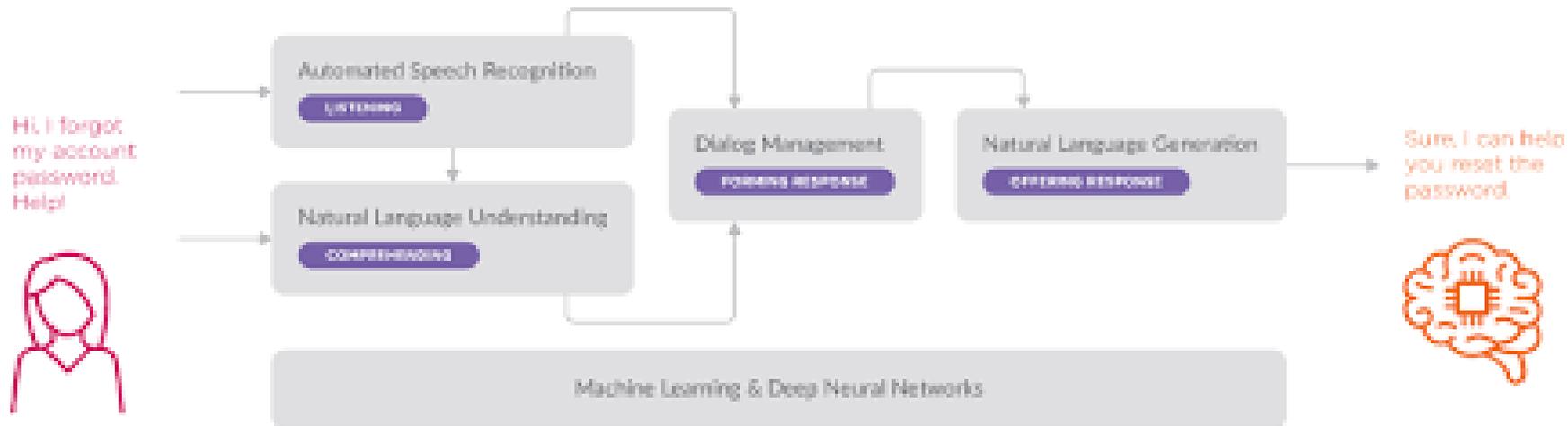
All Basic Silver Gold Ruby

1 Indication 4256.04
 2 Indication 1552.04
 3 Indication 3245.04

How AI Works

There are *many* good introductory videos for this subject:

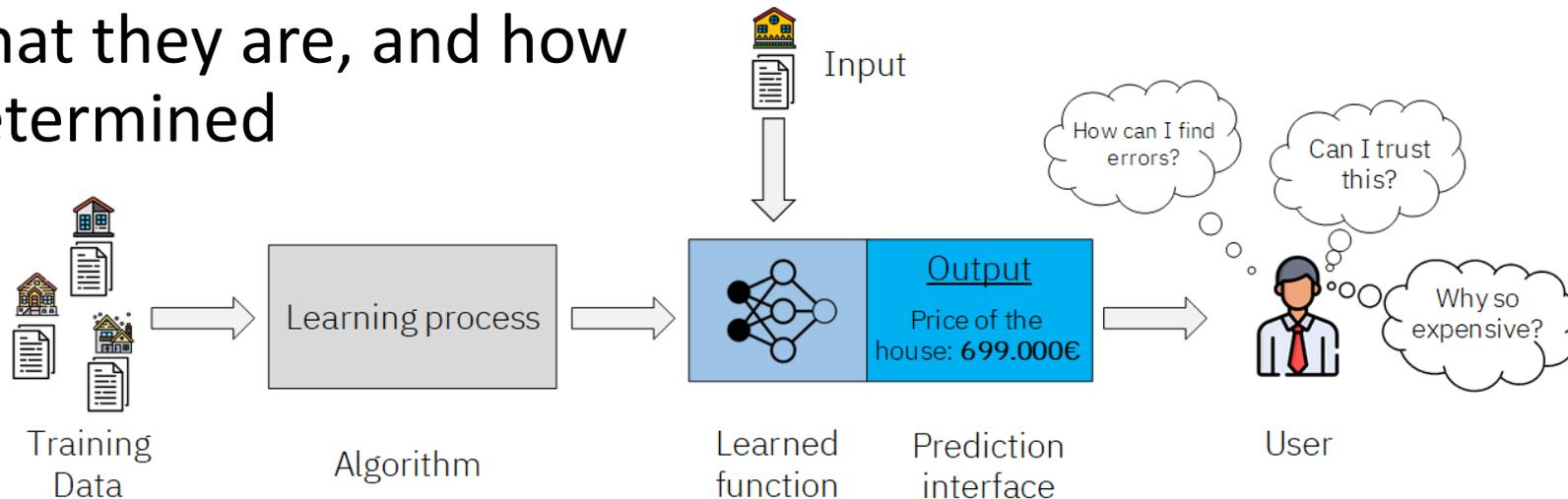
- https://www.youtube.com/watch?v=L_90luD0nqw
- <https://www.youtube.com/watch?v=JrXazCEACVo>
- <https://www.youtube.com/watch?v=aircAruvnKk>



What Does AI Do?

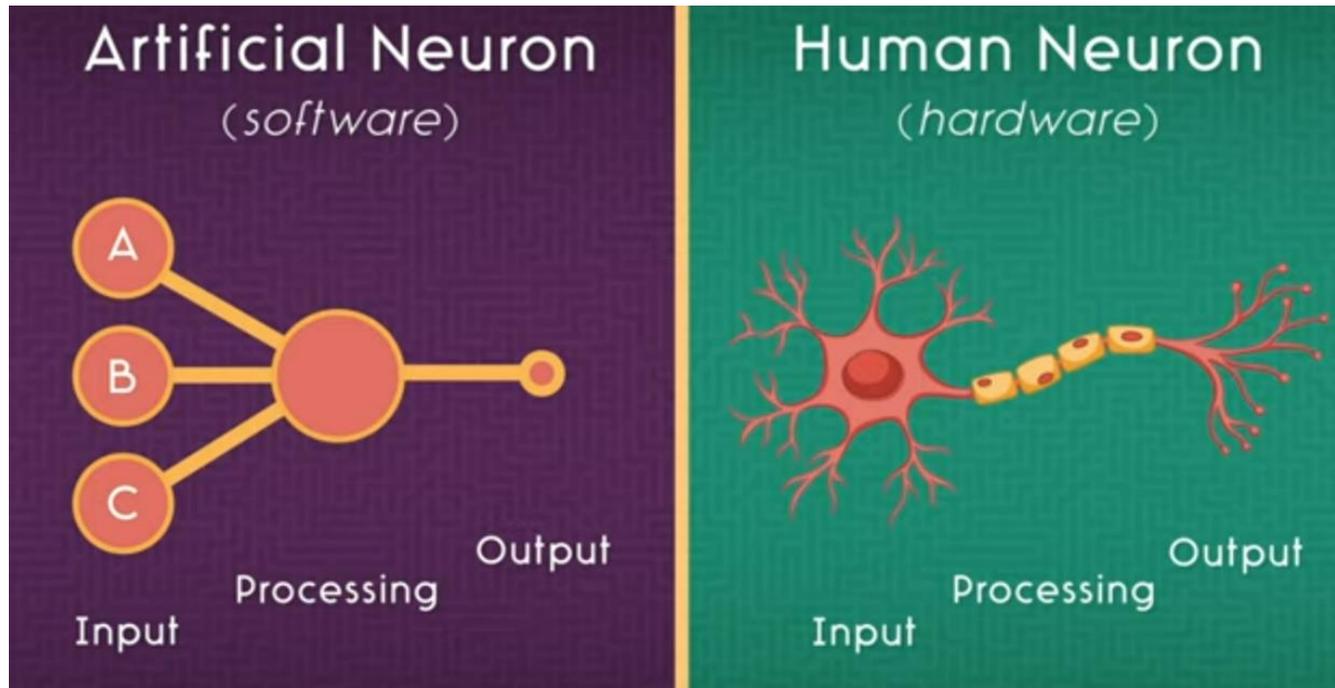
- A neural network is ultimately a statistical function, but one that manages tens of thousands of input variables
- This presentation is about those values: what they are, and how they're determined

- Regression
- Feature detection
- Clustering
- Prediction



Perceptrons

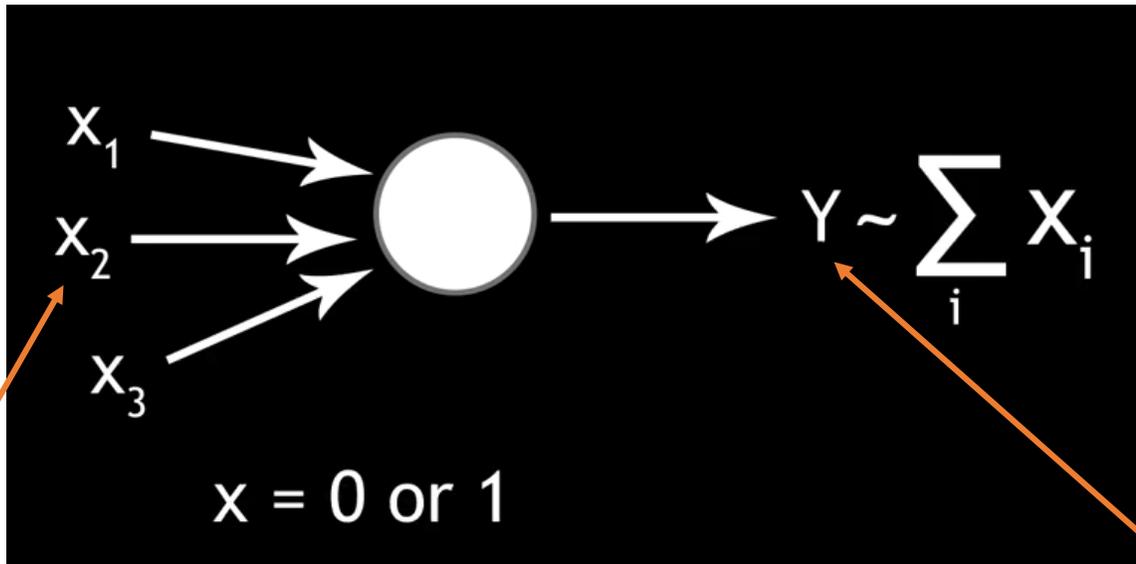
- A.k.a. an artificial neuron



<https://www.youtube.com/watch?v=JrXazCEACVo>

Perceptrons

- A.k.a. an artificial neuron



input values x

output value y , which depends on the sum of the input values

https://www.youtube.com/watch?v=L_9OluD0nqw

Thresholds

The threshold determines whether or not an input value will trigger an output value

$$Y = 0 \text{ or } 1$$

If $\sum_i x_i \geq \text{Threshold} \longrightarrow Y = 1$

$\sum_i x_i < \text{Threshold} \longrightarrow Y = 0$

Thresholds, or Bias Values

The threshold is expressed as a *bias*, which is a negative number added to the sum of the input values

$Y = 0 \text{ or } 1$

If $\sum_i x_i + b \geq 0 \rightarrow Y = 1$

$\sum_i x_i + b < 0 \rightarrow Y = 0$

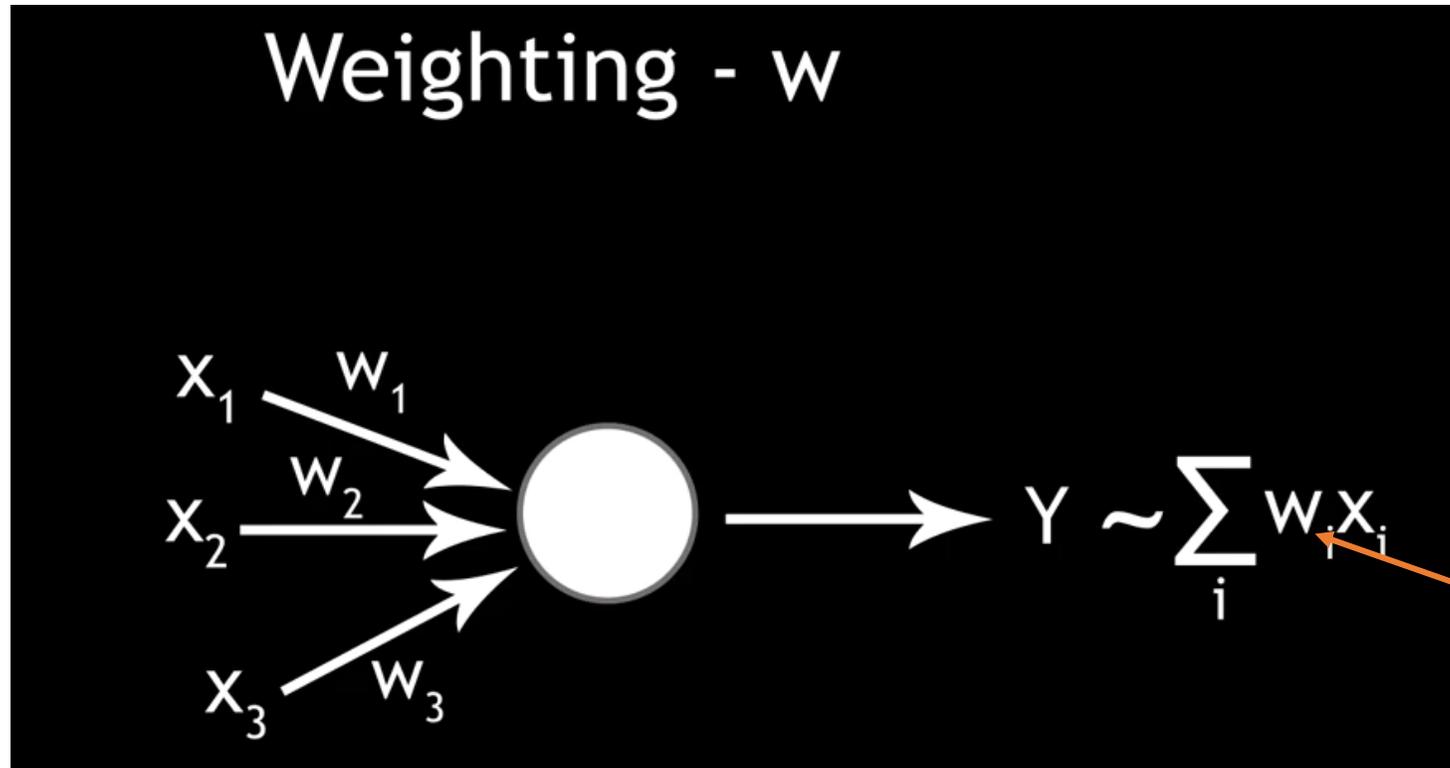
bias b

Activation Value

- The *activation value* of a neuron is a number generated from the input to the neuron. In the case of the perceptron, the activation is 0 or 1
- An *activation function* is the algorithm a neuron uses to generate its activation value from the input

Weights

Weights alter how much influence each input value has on the neuron



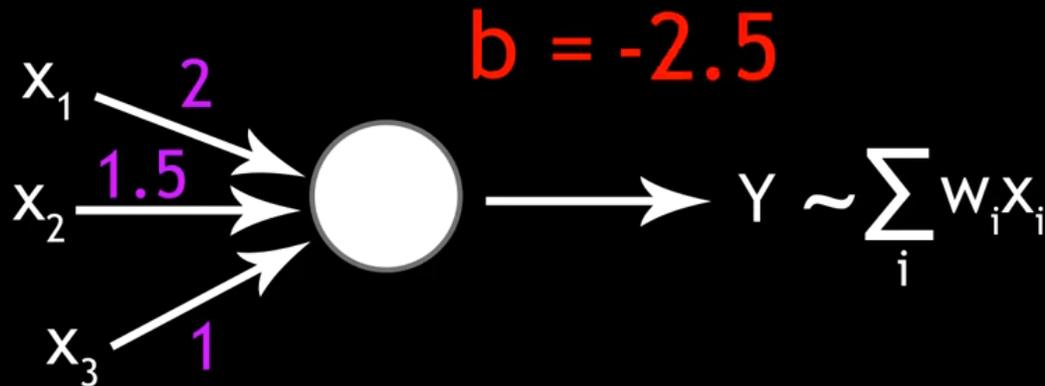
weight w

Calculating

See how the weight measures how important each factor is to me?

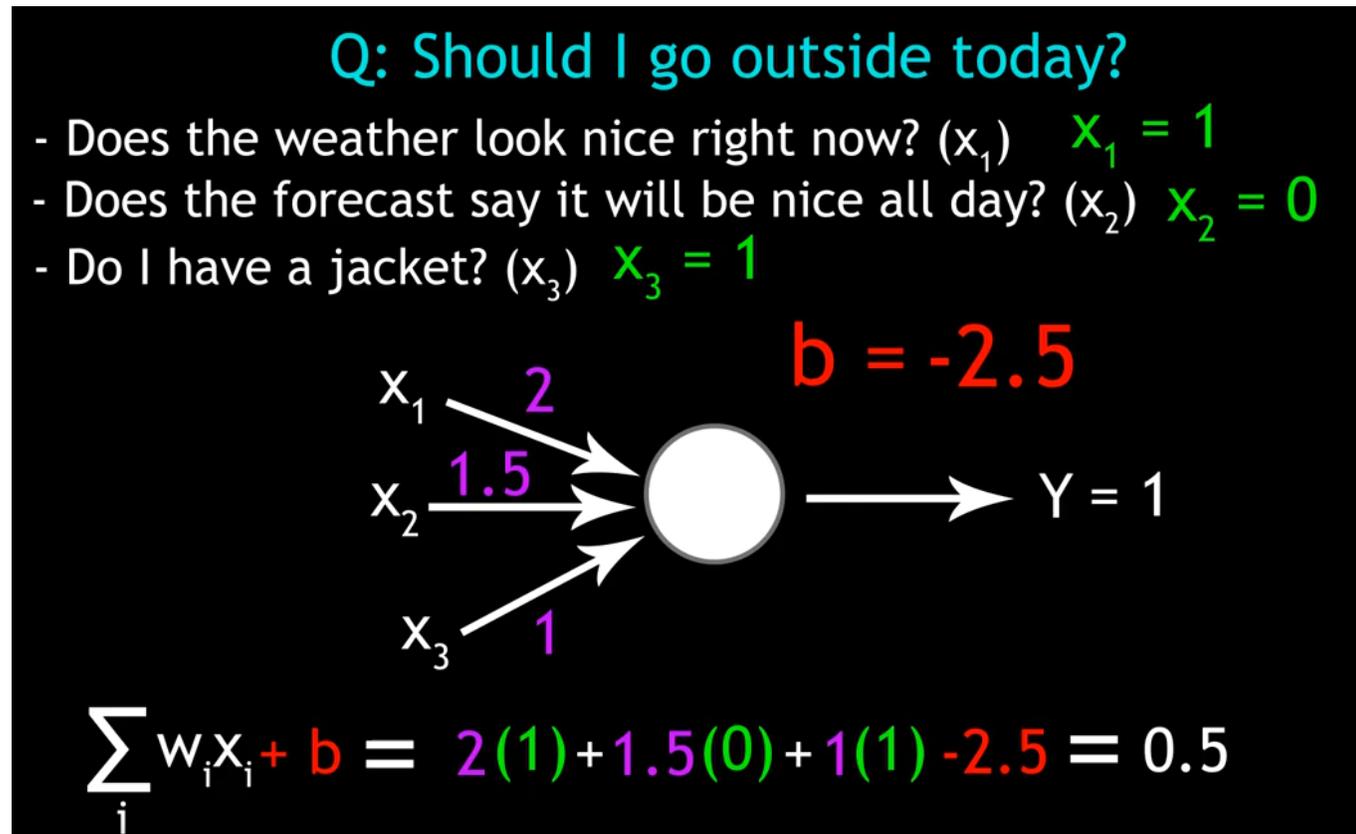
Q: Should I go outside today?

- Does the weather look nice right now? (x_1)
- Does the forecast say it will be nice all day? (x_2)
- Do I have a jacket? (x_3)



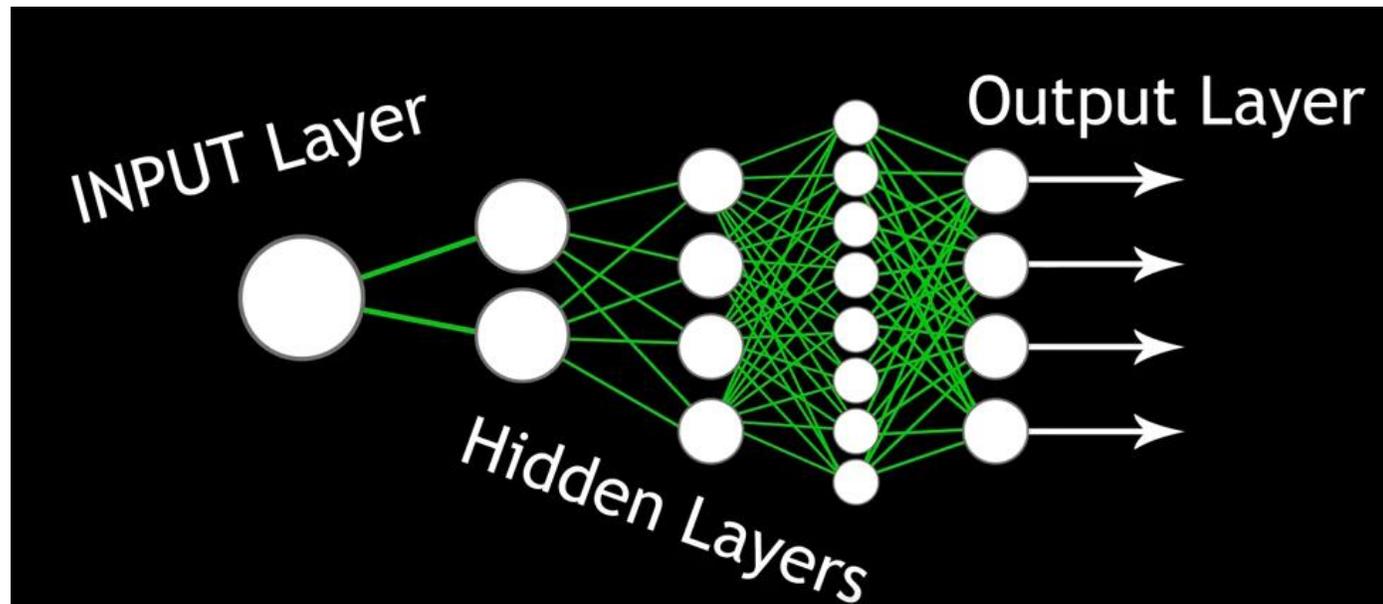
Calculating

- We collect the sum of the weight*value for each input and add the bias to produce the output.



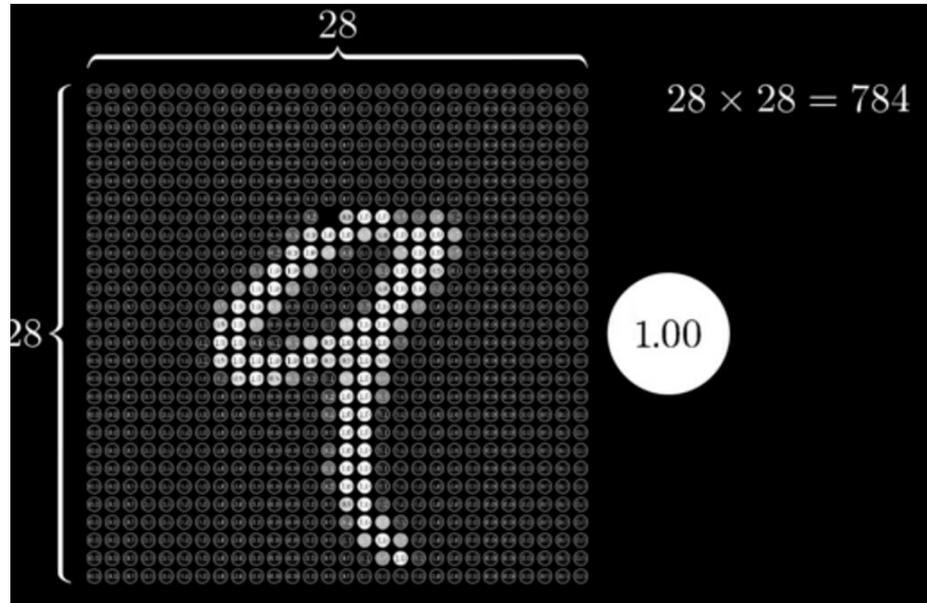
Networks of Perceptrons

These networks use the output from one set of neurons (called a *layer*) as the input for the next set of neurons.



Recognition Tasks

Example



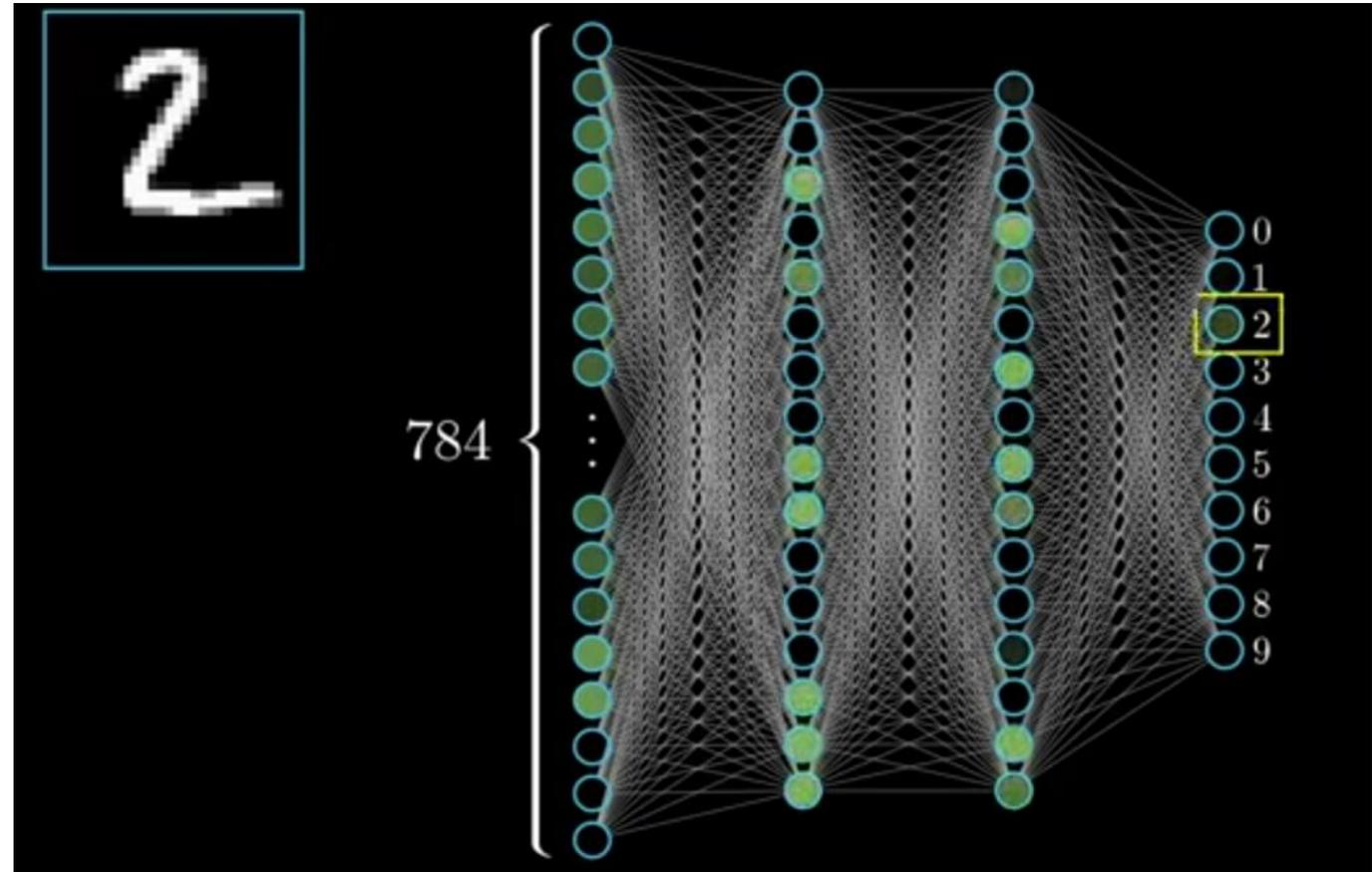
The input here is a layer of 781 neurons

<https://www.youtube.com/watch?v=aircAruvnKk>

Recognition Tasks

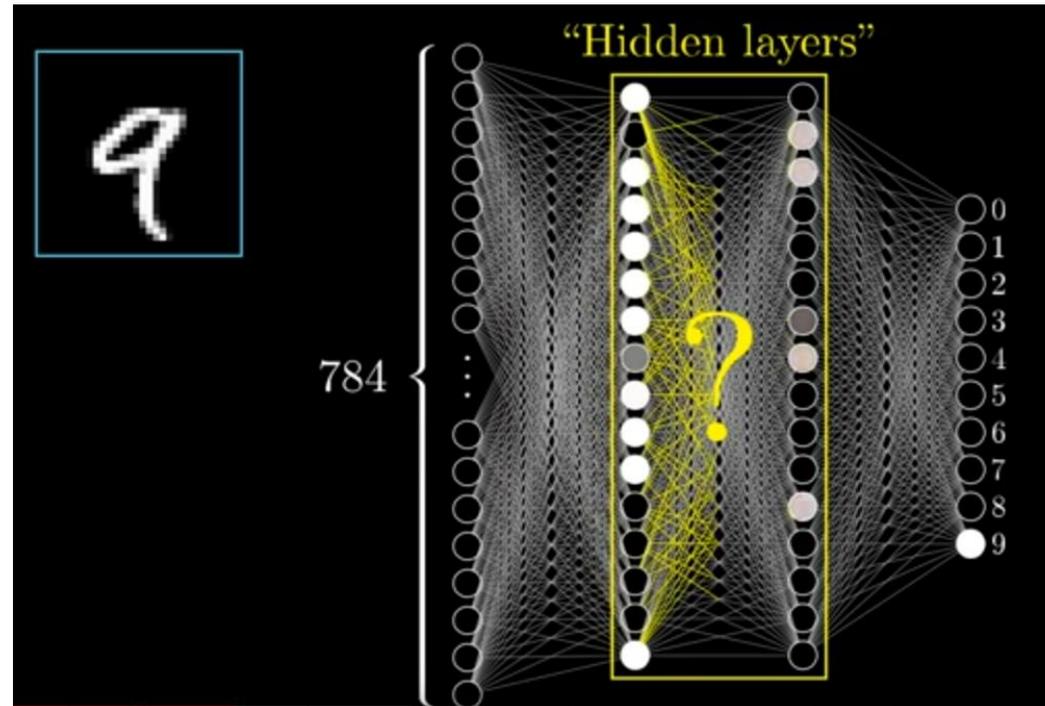
Activations are sent from layer to layer to produce a set of values in the output layer.

In this case we have an image as input, and a set of digits as an output.



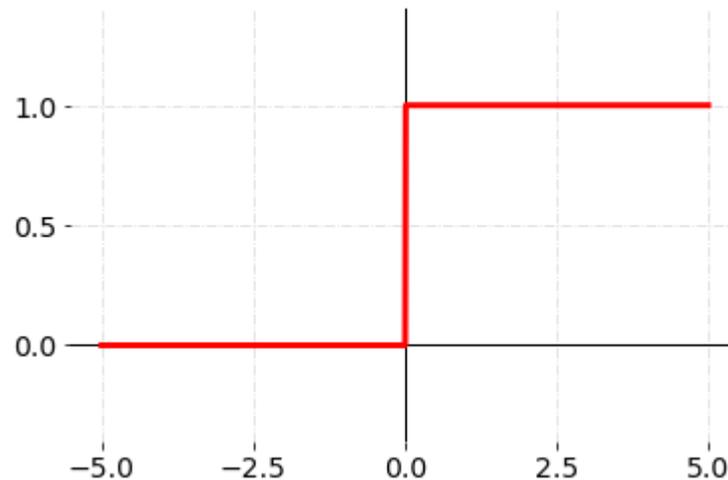
Layers

- In a network, activations (ie, the values of individual neurons) in one layer determine the activations in the next layer
- Notice the sizes of the layers are a bit arbitrary



Two Problems With Perceptrons

- They jump from 0 to 1, which is a big jump
- The weights have to be calculated manually



Your basic activation function has a value of 1 or 0. This is a *binary step* activation function.

Sigmoid Neuron

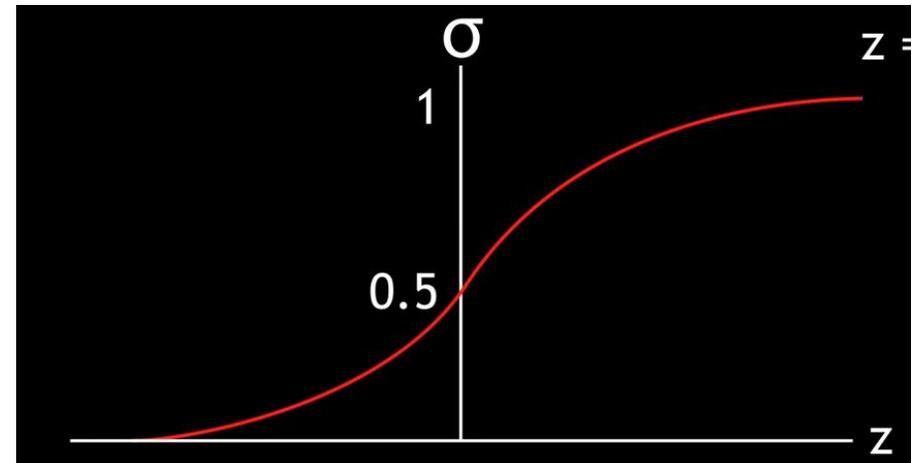
- Replaces perceptron neurons
- Output is calculated in the same way

$$z = \sum_i w_i x_i + b$$

- Then used in the sigmoid function

$$\text{Sigmoid } \sigma(z) = \frac{1}{1 + e^{-z}}$$

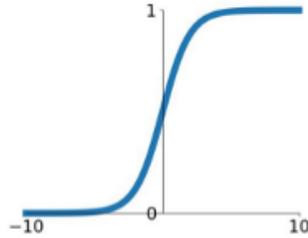
- The result, instead of being 1 or 0, is a smooth slope



Other Activation Functions

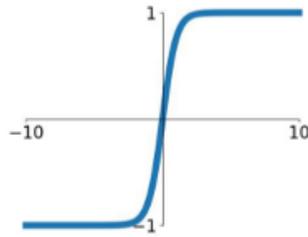
Sigmoid

$$\sigma(x) = \frac{1}{1+e^{-x}}$$



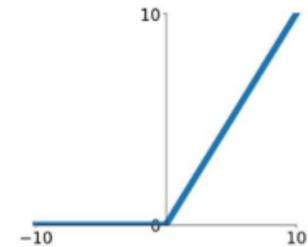
tanh

$$\tanh(x)$$



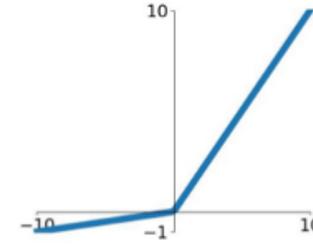
ReLU

$$\max(0, x)$$



Leaky ReLU

$$\max(0.1x, x)$$

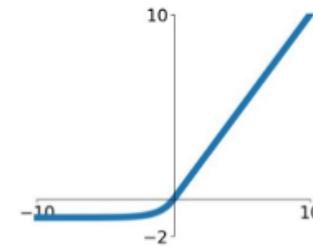


Maxout

$$\max(w_1^T x + b_1, w_2^T x + b_2)$$

ELU

$$\begin{cases} x & x \geq 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$



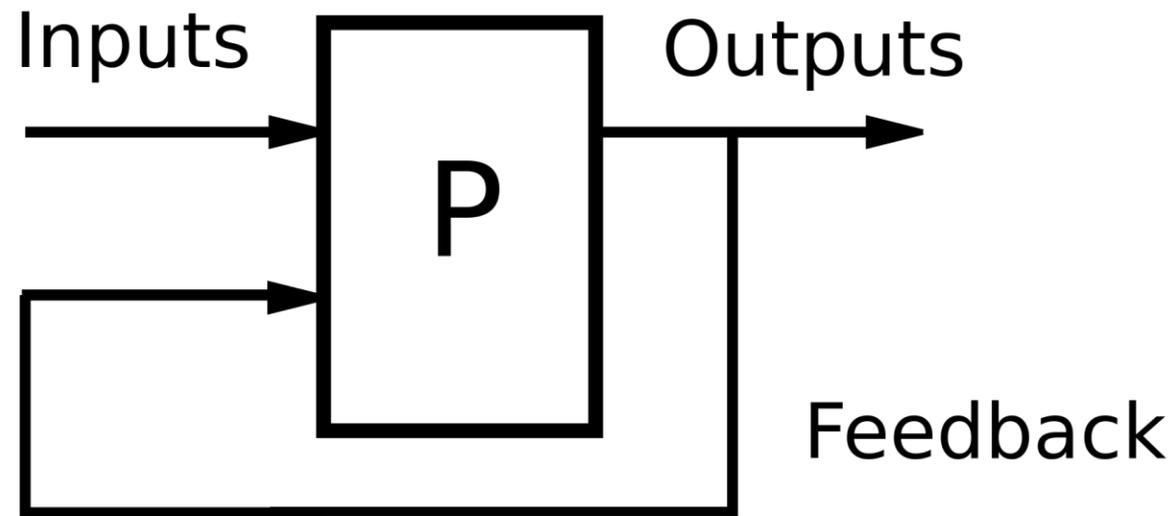
https://en.wikipedia.org/wiki/Activation_function

<https://medium.com/@shrutijadon10104776/survey-on-activation-functions-for-deep-learning-9689331ba092>

<https://mlfromscratch.com/activation-functions-explained/>

Backpropagation

- Adjusts the weights of a neural network
- Uses training examples to 'train' the network
- The result is then used to make predictions



Cost Function

Is a measure of the difference between the desired outcome and the prediction

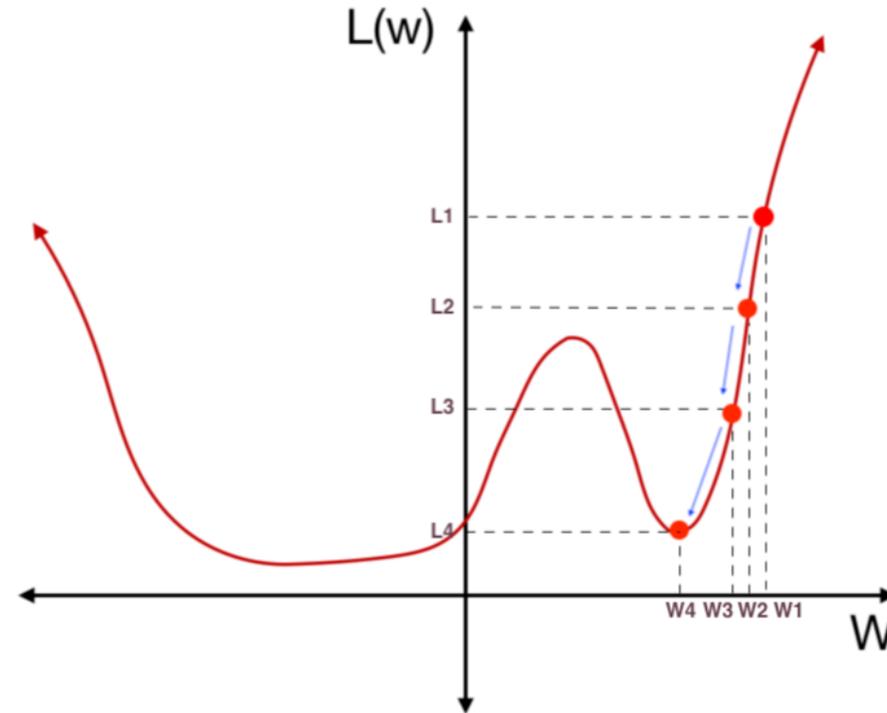
$$C = \frac{1}{2n} \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

Goal: Minimise C

Optimizing weights

- Reduce the value of C (the cost function) by adjusting weights
 - Calculate the *gradient* of C ∇C

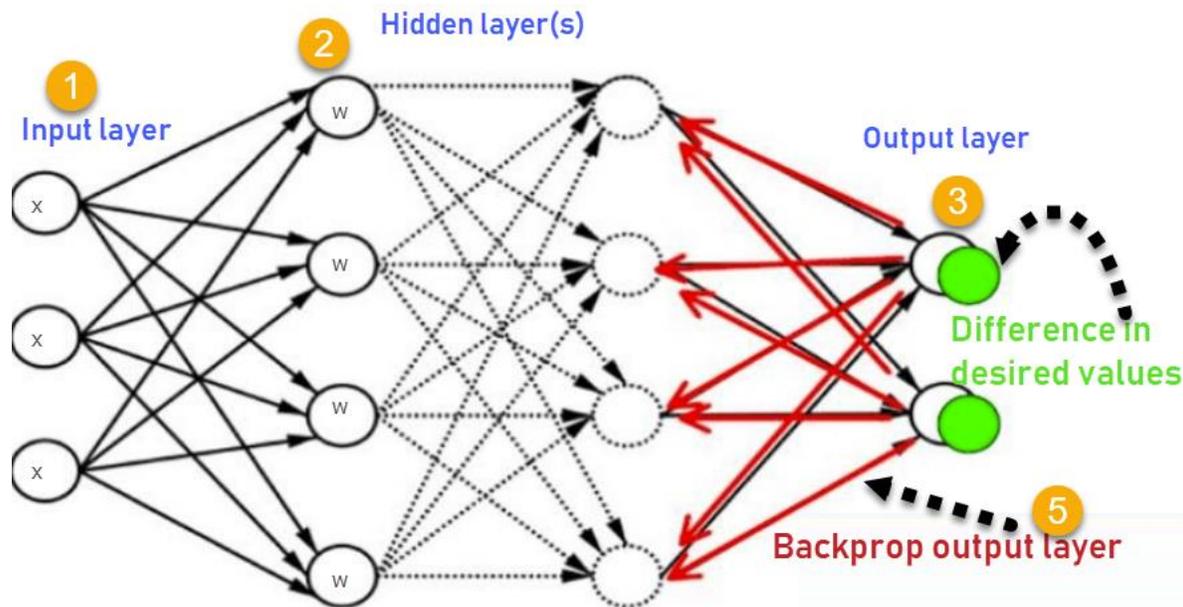
<https://towardsdatascience.com/step-by-step-the-math-behind-neural-networks-490dc1f3cfd9>



Propagation

- Guess the weights
- Provide input
- Identify the *error*

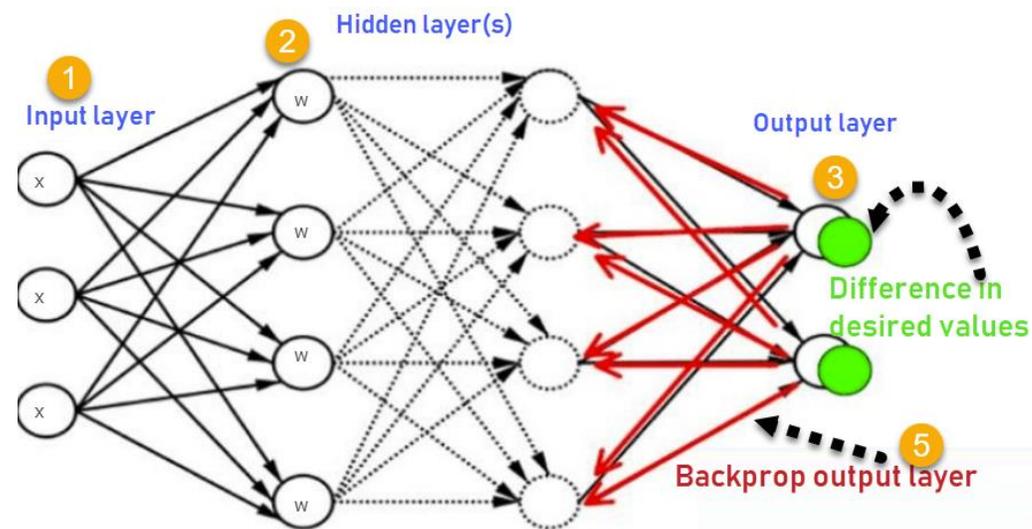
$$\mathcal{E} = y - \hat{y}$$



Back-Propagation

- The error for neurons in any particular error can be calculated as a function of the errors the next layer up

$$\text{Error } \boldsymbol{\varepsilon}_l = [\mathbf{w}_{l+1} \boldsymbol{\varepsilon}_{l+1}] \bullet \sigma'(z)$$



Adjusting Weights

- Calculate the *gradient* of C ∇C , as before

∇C Is used to slightly optimise weights

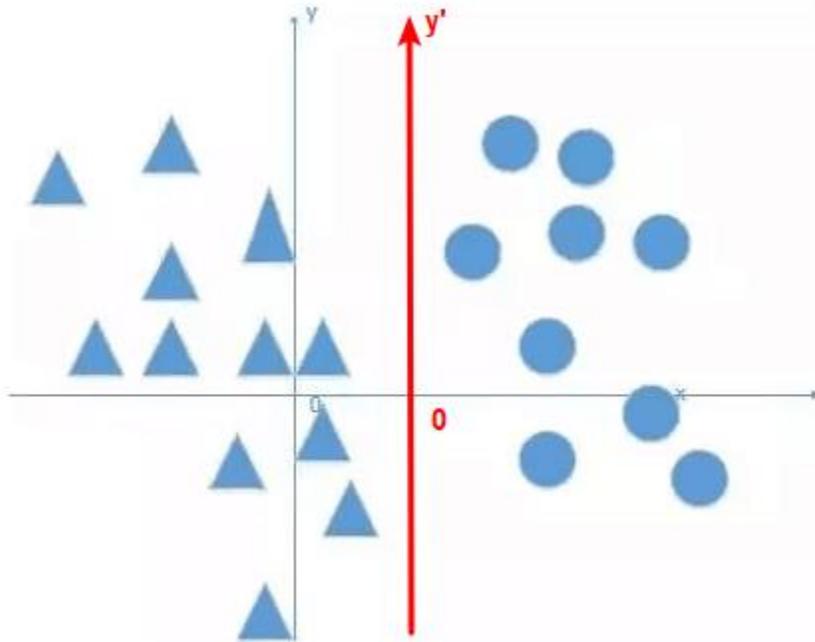
- Via Gradient Decent

$$w \longrightarrow w - \eta \nabla C$$

Learning Rate

Adjusting Biases

- You can also adjust the bias
- This establishes how active a neuron needs to be before it has an activation value



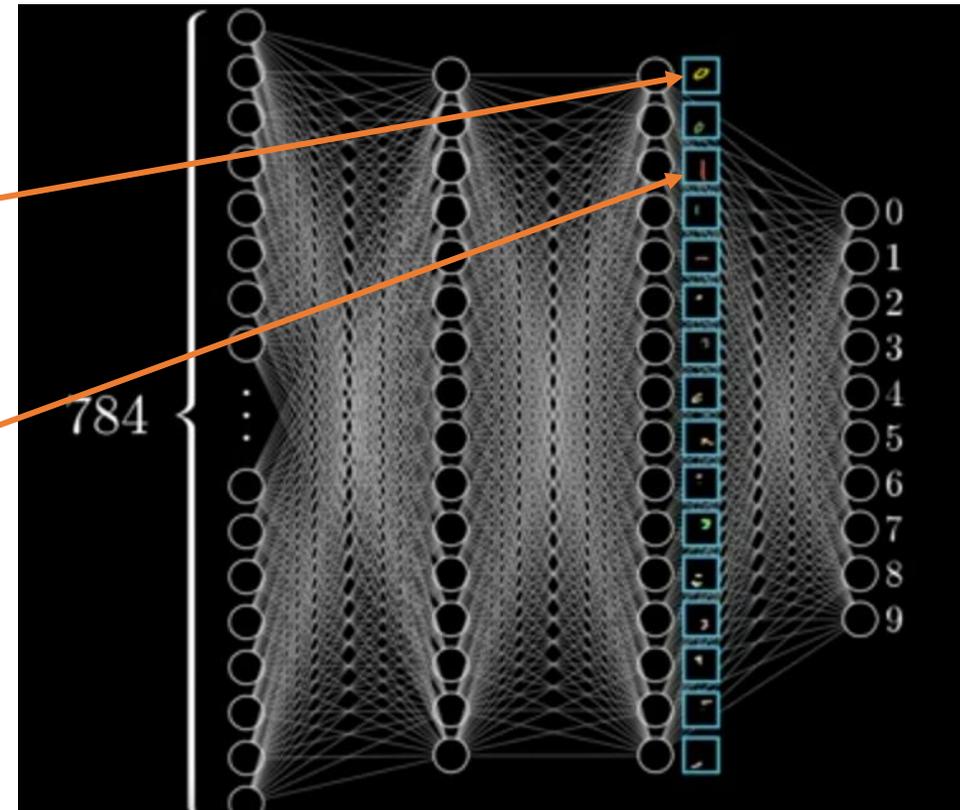
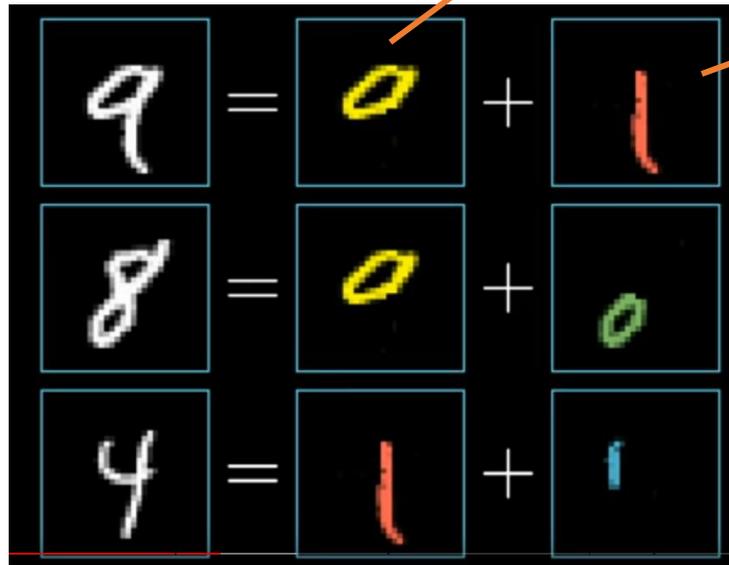
<https://stackoverflow.com/questions/3775032/how-to-update-the-bias-in-neural-network-backpropagation>

<https://www.geeksforgeeks.org/effect-of-bias-in-neural-network/>

<https://www.tutorialexample.com/understand-bias-in-neural-network-why-using-bias-in-neural-network/>

Feature Detection

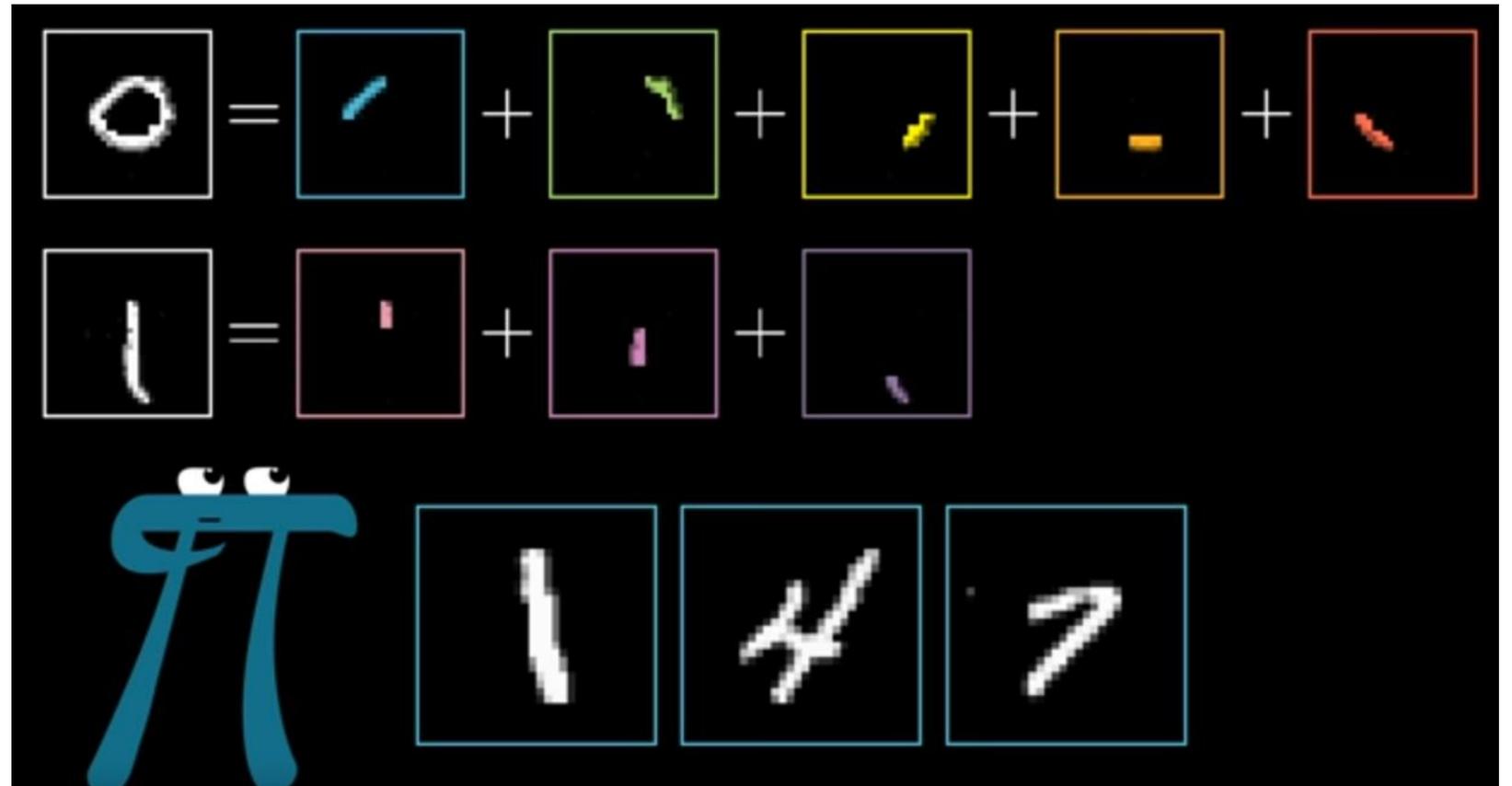
What do the layers do?



Edge Detection

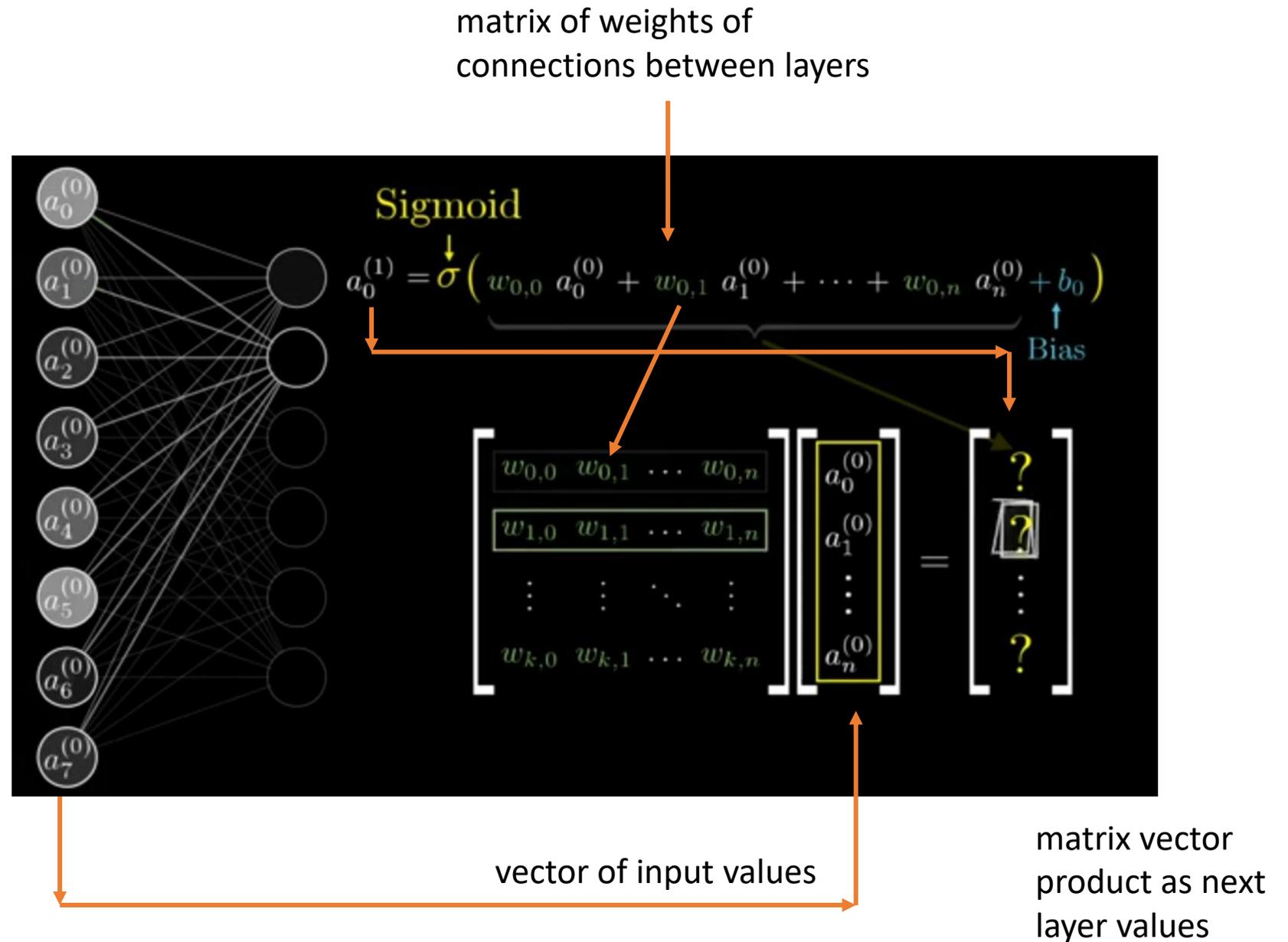


Features are made of smaller parts

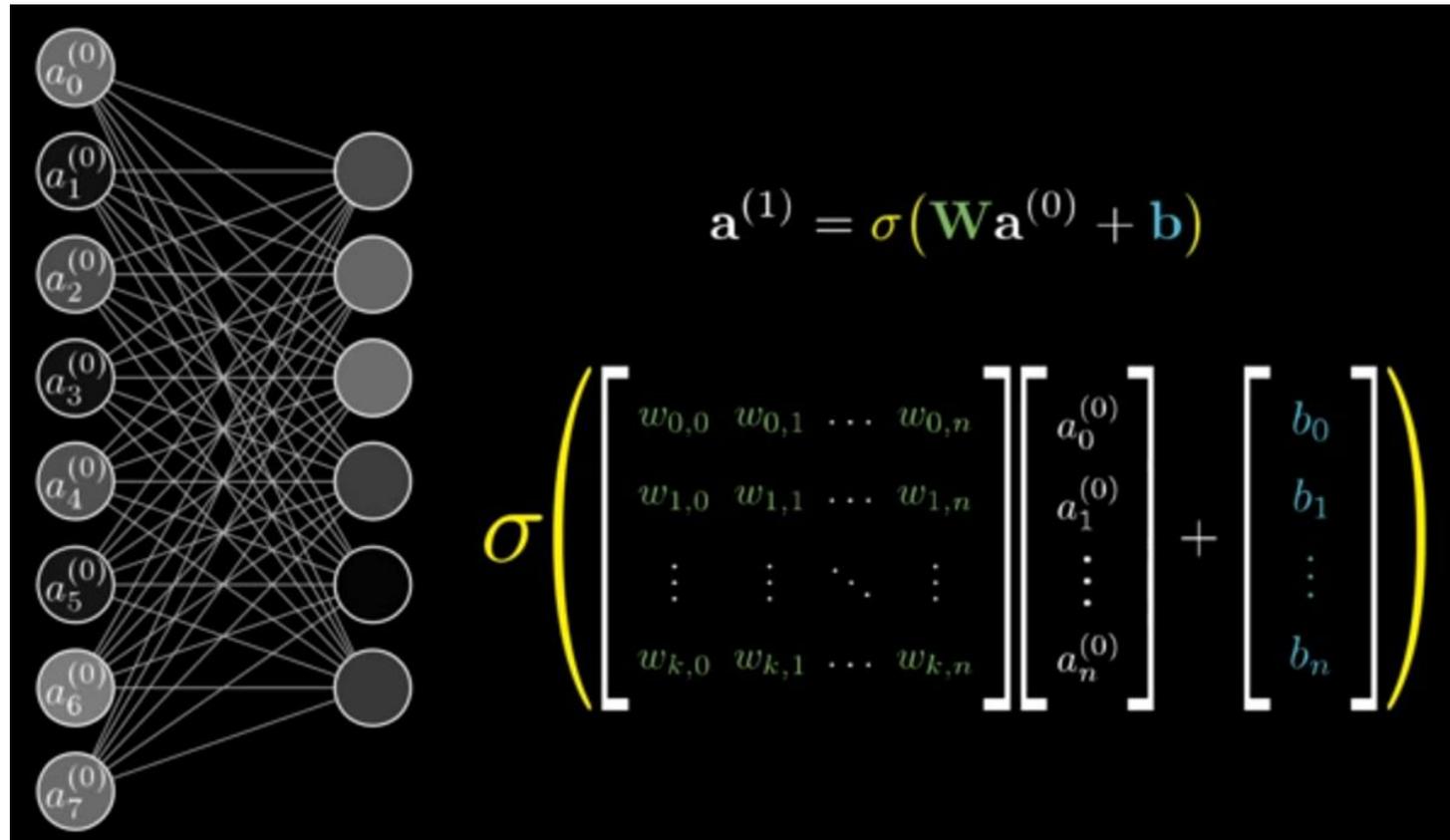


Calculations

- Calculations of the weights and values can be described using matrix algebra



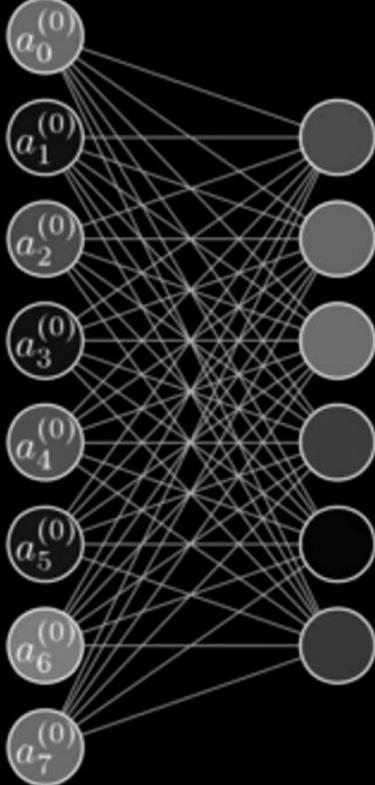
Expressions



Adding the bias...

Code

Code libraries
are optimized
for matrix
multiplication



The diagram shows a neural network with two layers. The input layer consists of 8 nodes labeled $a_0^{(0)}$ through $a_7^{(0)}$. The output layer consists of 4 nodes. Every node in the input layer is connected to every node in the output layer, representing a fully connected network.

$$\mathbf{a}^{(1)} = \sigma(\mathbf{W}\mathbf{a}^{(0)} + \mathbf{b})$$

```
class Network(object):
    def __init__(self, *args, **kwargs):
        #...yada yada, initialize weights and biases...

    def feedforward(self, a):
        """Return the output of the network for an input vector a"""
        for b, w in zip(self.biases, self.weights):
            a = sigmoid(np.dot(w, a) + b)
        return a
```

<https://www.youtube.com/watch?v=aircAruvnKk>

Iterations

- Each time we adjust all the weights, we call that an *epoch*.
- This is too large to do all at once, so it's broken down into batches.
- The number of iterations is the number of batches needed to complete an epoch.